

# RFC 9498: The GNU Name System

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Berner Fachhochschule

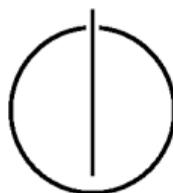
22.12.2023

# The GNU Name System

- ▶ Decentralized name system with secure memorable names
- ▶ Delegation used to achieve transitivity
- ▶ Also supports globally unique, secure identifiers
- ▶ Achieves query and response privacy
- ▶ Provides alternative public key infrastructure
- ▶ Interoperable with DNS



## Secure introduction



**Bob Builder, Ph.D.**

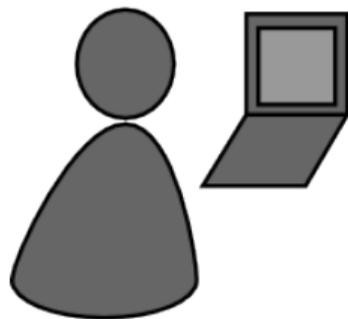
**Address: Country, Street Name 23**

**Phone: 555-12345**

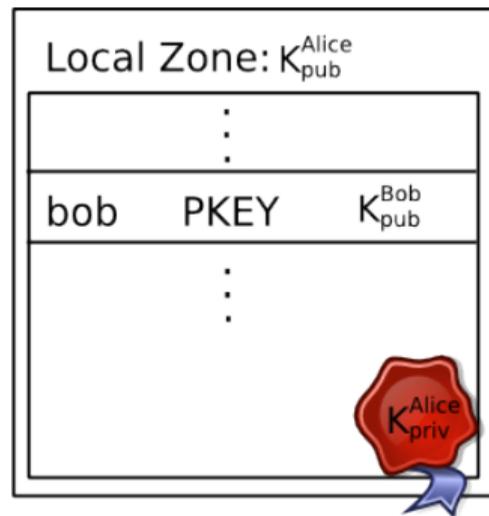
**Mobile: 666-54321**

**Mail: bob@H2R84L4JIL3G5C**

# Delegation

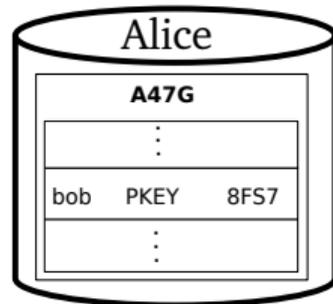
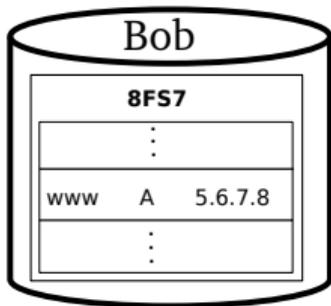
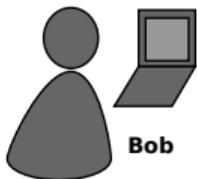


Alice

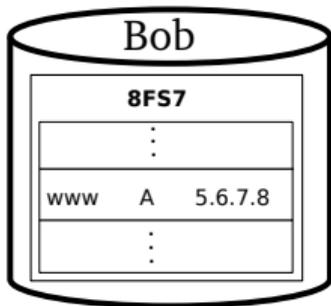


- ▶ Alice learns Bob's public key
- ▶ Alice creates delegation to zone  $K_{pub}^{Bob}$  under label **bob**
- ▶ Alice can reach Bob's webserver via **www.bob.gns.alt**

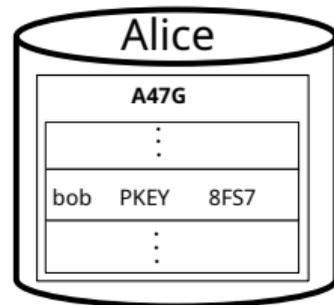
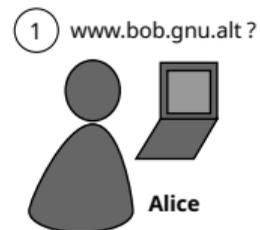
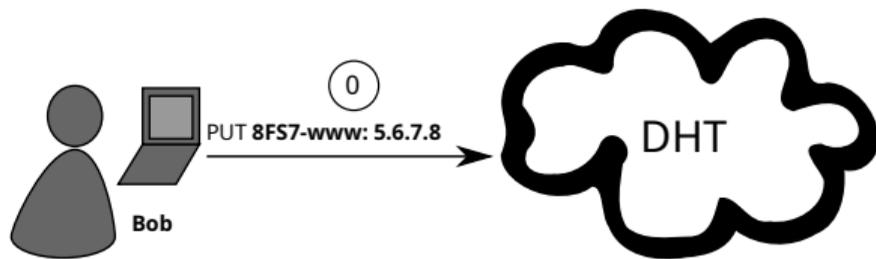
# Name Resolution



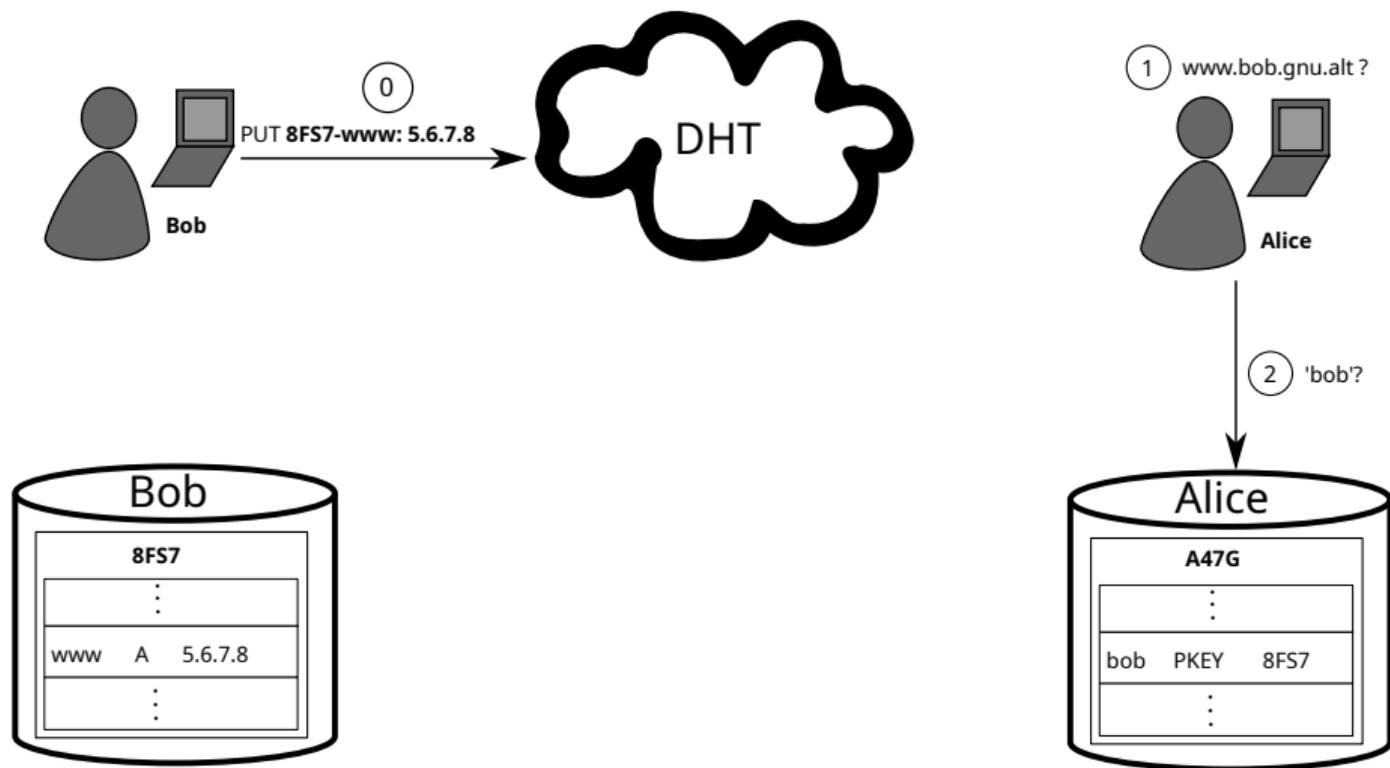
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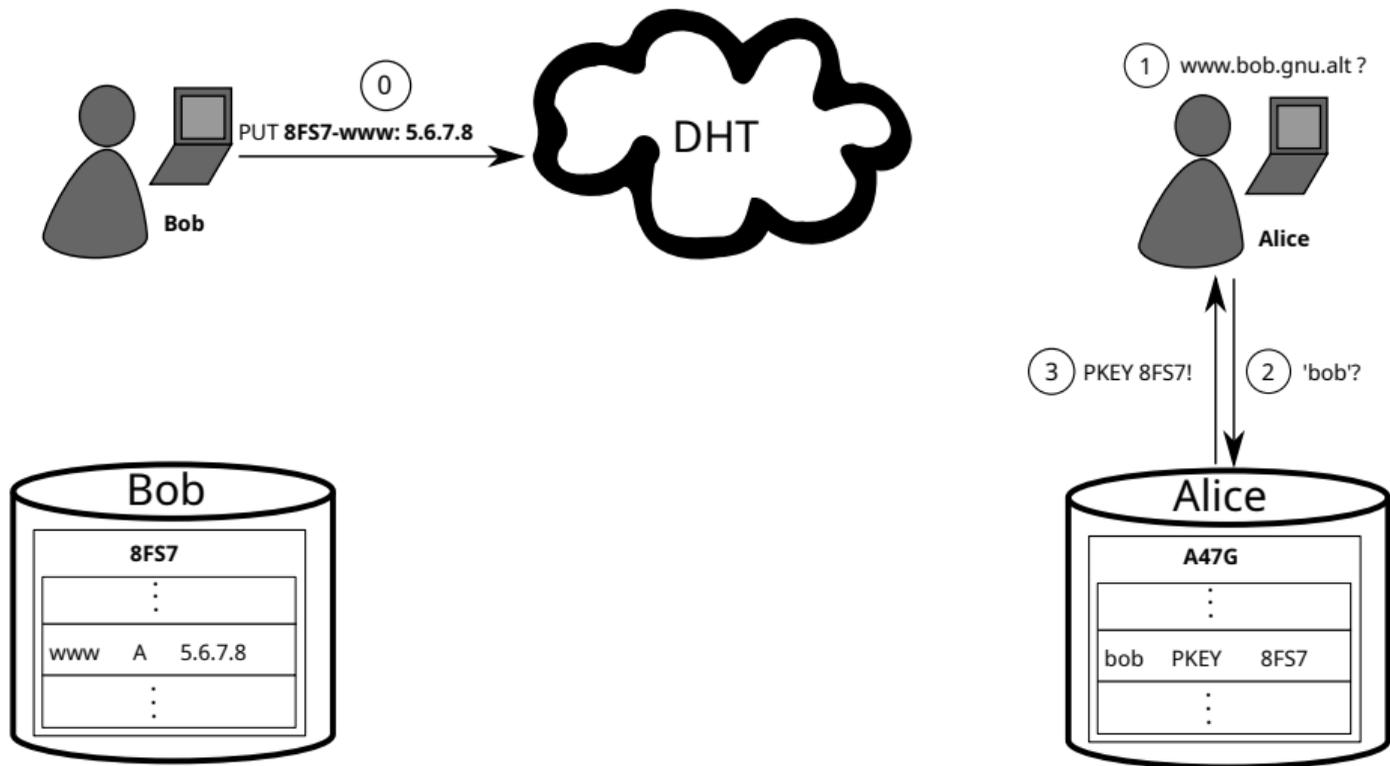
# Name Resolution



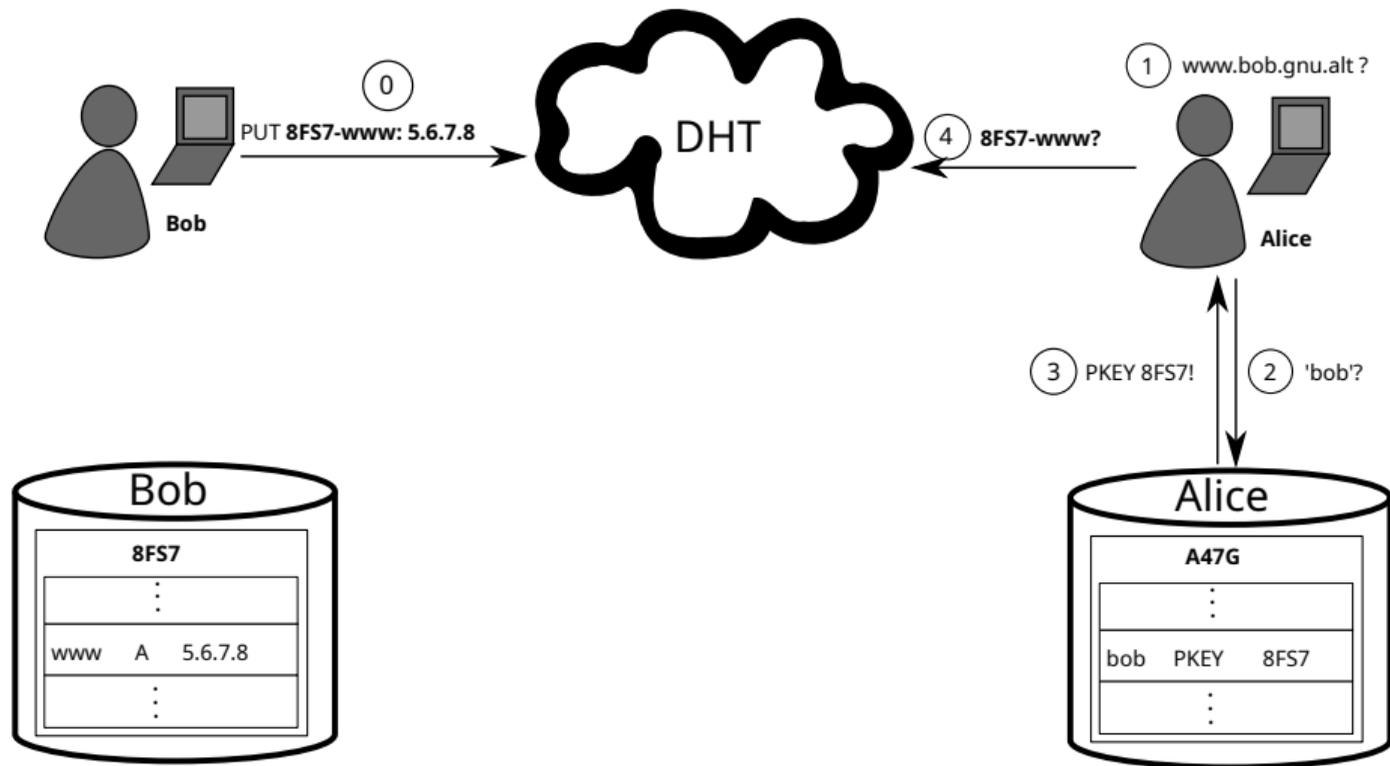
# Name Resolution



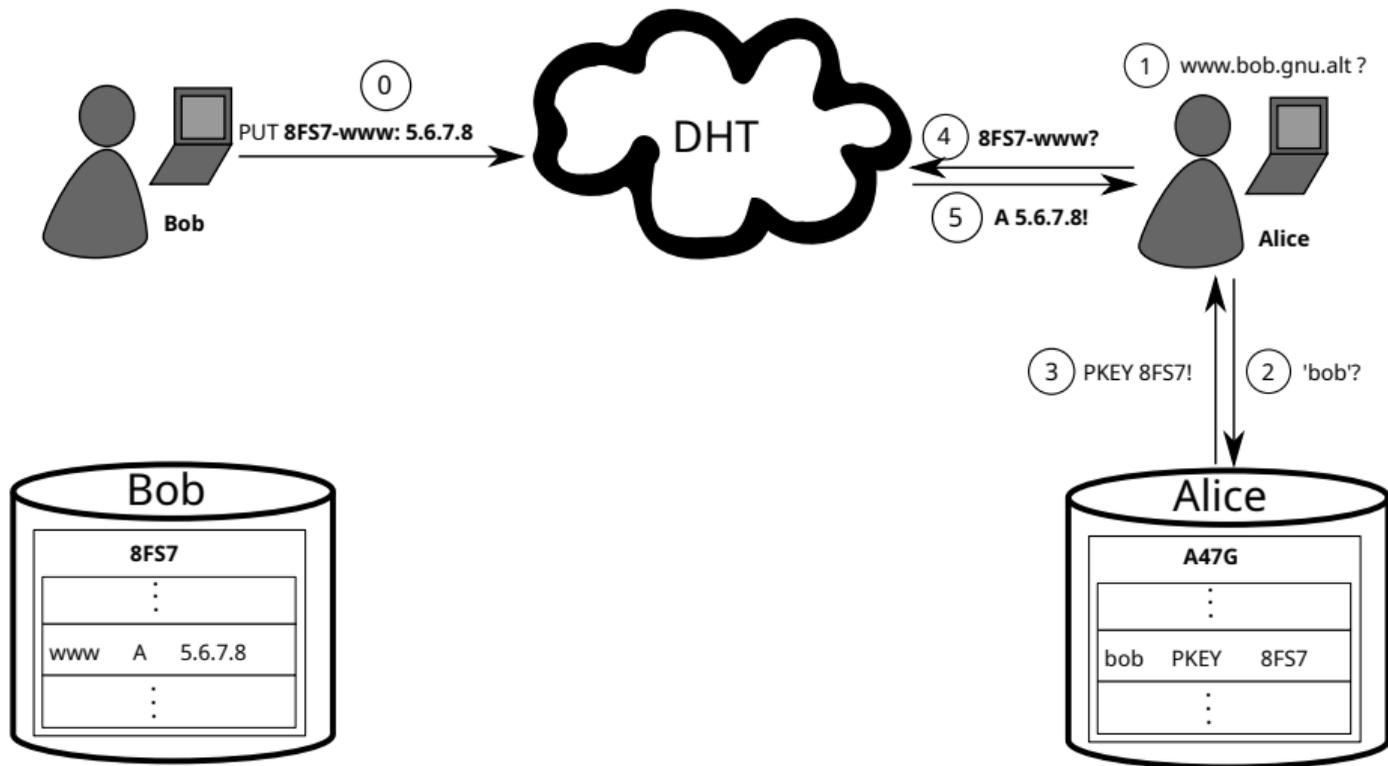
# Name Resolution



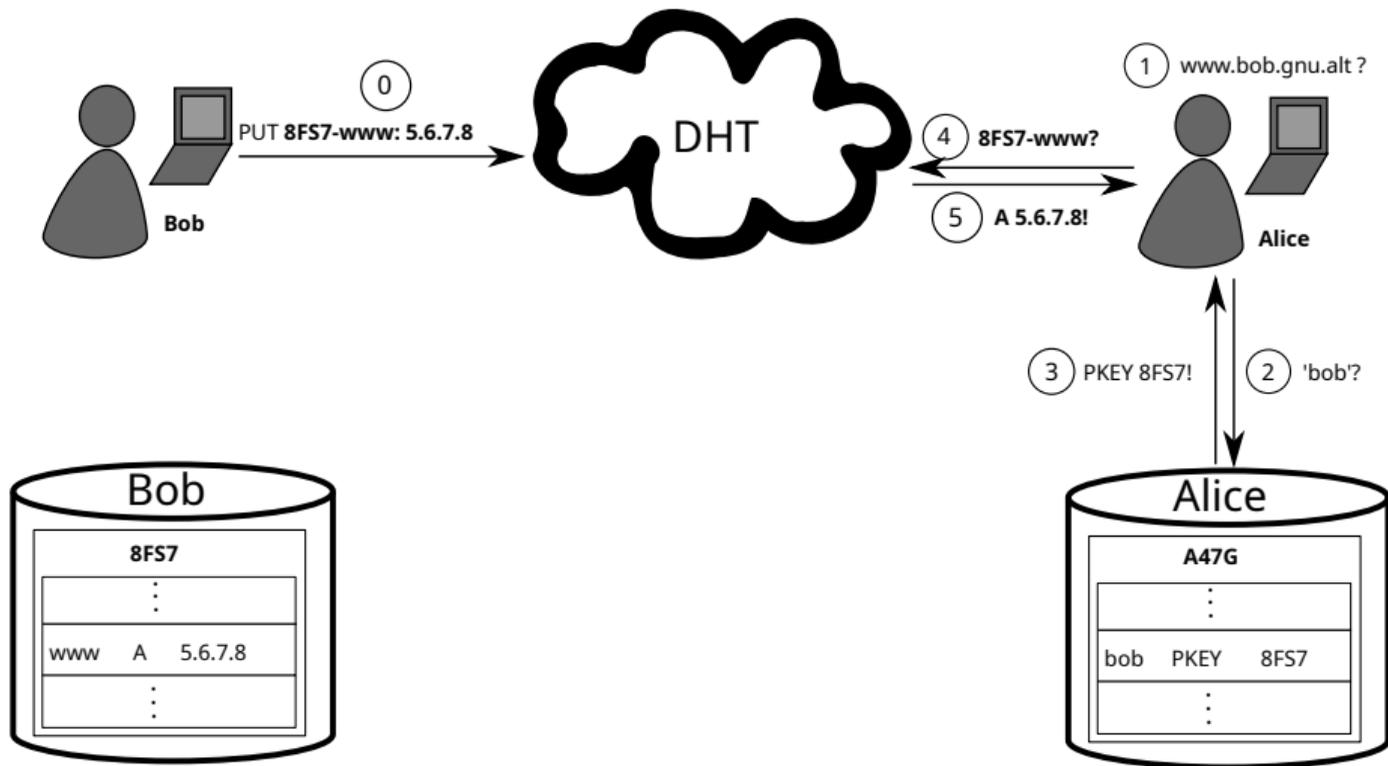
# Name Resolution



# Name Resolution



# Privacy Issue: DHT



## Query Privacy: Terminology

$G$  generator in ECC curve, a point

$o$  size of ECC group,  $o := |G|$ ,  $o$  prime

$x$  private ECC key of zone ( $x \in \mathbb{Z}_o$ )

$P$  public key of zone, a point  $P := xG$

$l$  label for record in a zone ( $l \in \mathbb{Z}_o$ )

$R_{P,l}$  set of records for label  $l$  in zone  $P$

$q_{P,l}$  query hash (hash code for DHT lookup)

$B_{P,l}$  block with encrypted information for label  $l$   
in zone  $P$  published in the DHT under  $q_{P,l}$

## Query Privacy: Cryptography

Publishing records  $R_{P,I}$  as  $B_{P,I}$  under key  $q_{P,I}$

$$h := H(I, P) \tag{1}$$

$$d := h \cdot x \pmod{o} \tag{2}$$

$$B_{P,I} := S_d(E_{HKDF(I,P)}(R_{P,I})), dG \tag{3}$$

$$q_{P,I} := H(dG) \tag{4}$$

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Publishing records  $R_{P,I}$  as  $B_{P,I}$  under key  $q_{P,I}$

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$$B_{P,I} := S_d(E_{HKDF(I,P)}(R_{P,I})), dG \tag{3}$$

$$q_{P,I} := H(dG) \tag{4}$$

Searching for records under label  $I$  in zone  $P$

$$h := H(I, P) \tag{5}$$

$$q_{P,I} := H(hP) = H(hxG) = H(dG) \Rightarrow \text{obtain } B_{P,I} \tag{6}$$

$$R_{P,I} = D_{HKDF(I,P)}(B_{P,I}) \tag{7}$$

# Key Revocation

- ▶ Certificate Revocation Lists (X.509)
- ▶ Online Certificate Status Protocol (OCSP)
- ▶ OCSP stapling (TLS)
- ▶ Publish revocations in a blockchain?

# Key Revocation

- ▶ Certificate Revocation Lists (X.509)
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- ▶ Publish revocations in a blockchain?
- ▶ **Controlled flooding**

## Key Revocation via Controlled Flooding

- ▶ Revocation message signed with private key that is to be revoked
- ▶ Flooded on all links in (P2P) overlay, stored forever
- ▶ Expensive **proof-of-work** used to limit DoS-potential
- ▶ Proof-of-work can be calculated ahead of time
- ▶ Revocation messages can be computed and stored off-line if desired
- ▶ Efficient set reconciliation used when peers connect

## Efficient Set Union

- ▶ Alice and Bob have sets  $A$  and  $B$
- ▶ The sets are very large
- ▶ ... but their symmetric difference  $\delta = |(A - B) \cup (B - A)|$  is small
- ▶ Now Alice wants to know  $B - A$  (the elements she's missing)
- ▶ ... and Bob  $A - B$  (the elements he's missing)
- ▶ How can Alice and Bob do this efficiently?
  - ▶ w.r.t. communication and computation

## Simplistic Solution

- ▶ Naive approach: Alice sends  $A$  to Bob, Bob sends  $B - A$  back to Alice
- ▶ ... and vice versa.
  
- ▶ Communication cost:  $O(|A| + |B|)$  :(
- ▶ Ideally, we want to do it in  $O(\delta)$ .
- ▶ First improvement: Don't send elements of  $A$  and  $B$ , but send/request hashes. Still does not improve complexity :(
  
- ▶ We need some more fancy data structure!

# Bloom Filters

**Constant size** data structure that “summarizes” a set.

Operations:

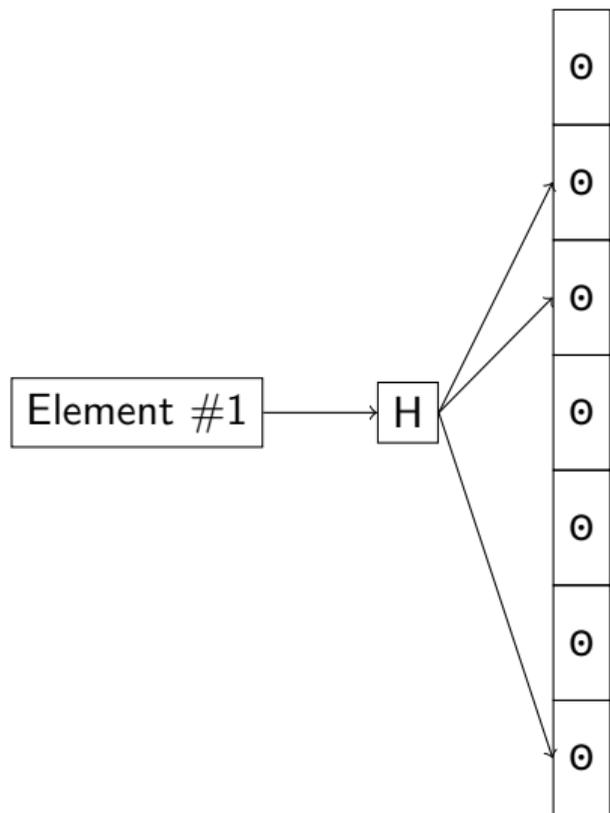
$d = \text{NewBF}(\text{size})$  Create a new, empty bloom filter.

$\text{Insert}(d, e)$  Insert element  $e$  into the BF  $d$ .

$b = \text{Contains}(d, e)$  Check if BF  $d$  contains element  $e$ .

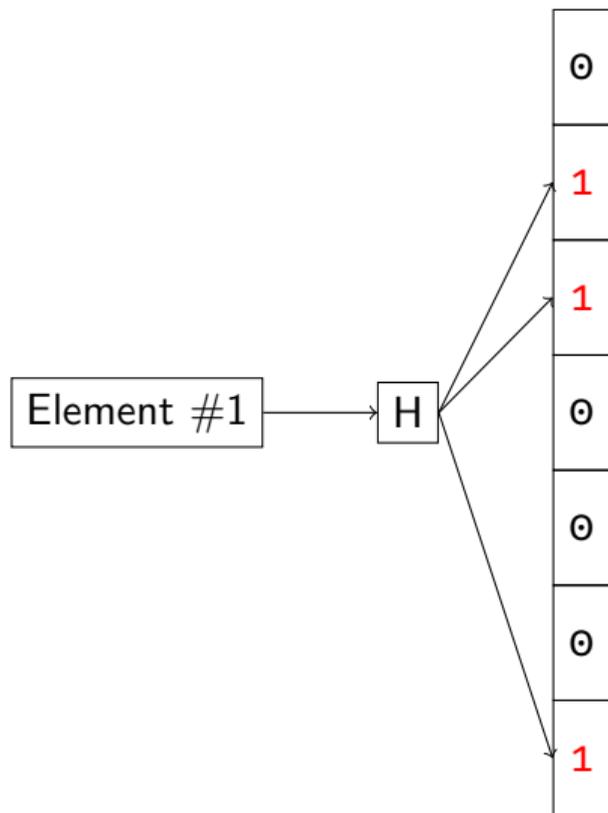
$b \in \{ \text{“Definitely not in set”}, \text{“Probably in set”} \}$

## BF: Insert



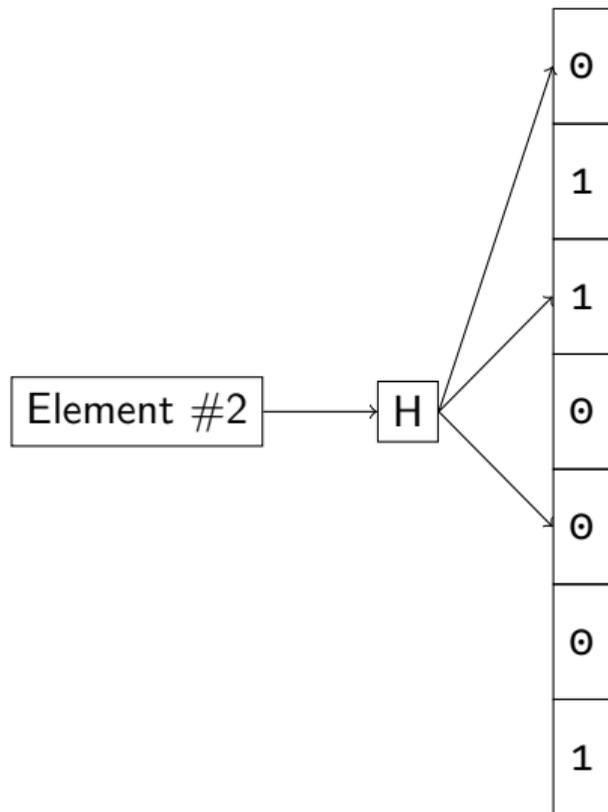
$$H(\text{Element \#1}) = (2, 3, 7)$$

## BF: Insert



$$H(\text{Element \#1}) = (2, 3, 7)$$

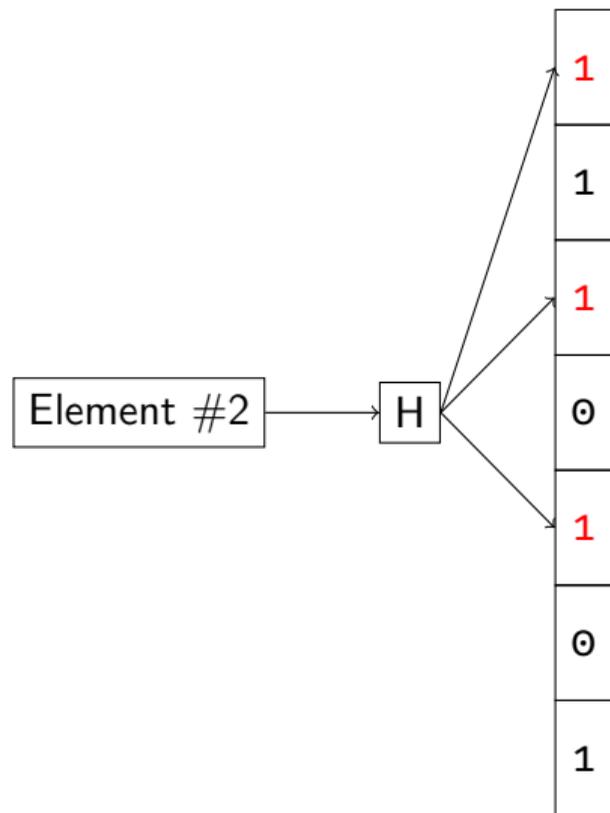
## BF: Insert



$$H(\text{Element \#1}) = (2, 3, 7)$$

$$H(\text{Element \#2}) = (1, 3, 5)$$

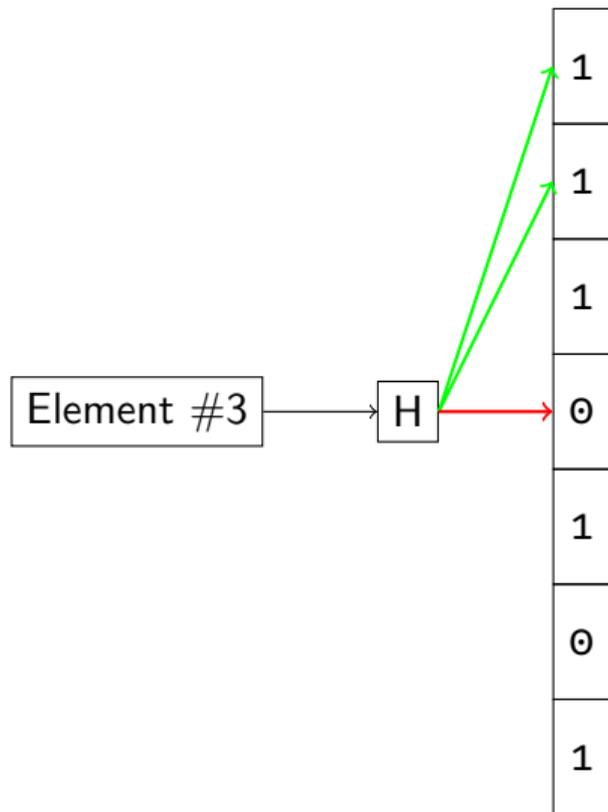
## BF: Insert



$$H(\text{Element \#1}) = (2, 3, 7)$$

$$H(\text{Element \#2}) = (1, 3, 5)$$

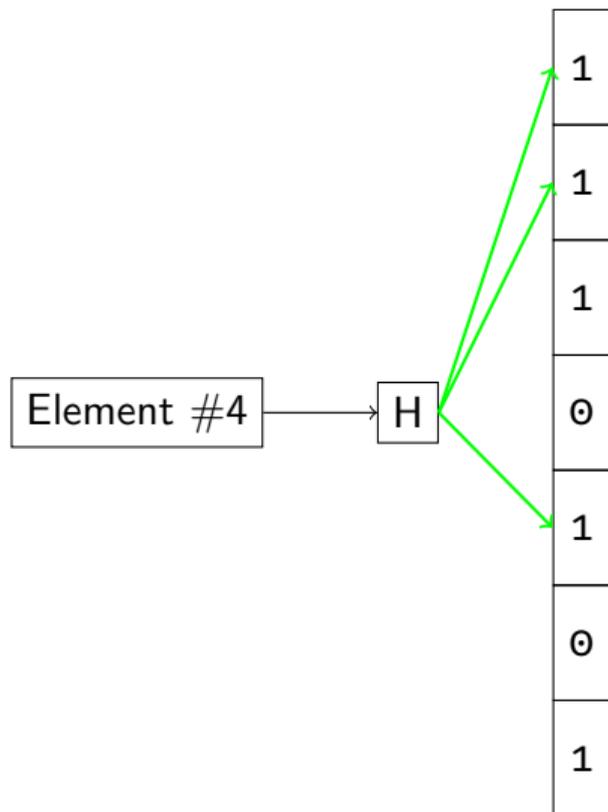
## BF: Membership Test



$$H(\text{Element \#1}) = (2, 3, 7)$$

$$H(\text{Element \#2}) = (1, 3, 5)$$

## BF: Membership Test (false positive)



$$H(\text{Element \#1}) = (2, 3, 7)$$

$$H(\text{Element \#2}) = (1, 3, 5)$$

## Counting Bloom Filters

BF where buckets hold a **positive integer**.

Additional Operation:

*Remove*( $d, e$ ) Remove element from the CBF  $d$ .

⇒ False negatives when removing a non-existing element.

## Invertible Bloom Filters

Similar to CBF, but

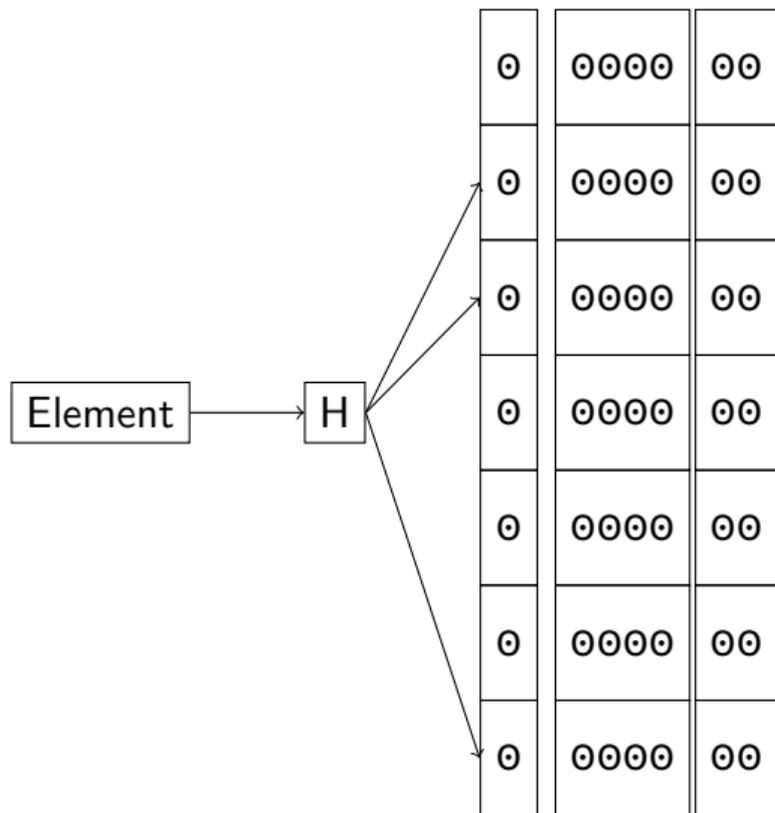
- ▶ Allow **negative counts**
- ▶ Additionally store **(XOR-)sum of IDs (IDSUM)** in each bucket.
- ▶ Additionally store **(XOR-)sum of hashes (XHASH)** in each bucket.

Additional Operations:

$(e, r) = \text{Extract}(d)$  Extract an element ID ( $e$ ) from the IBF  $d$ , with result code  $r \in \{\text{left}, \text{right}, \text{done}, \text{fail}\}$

$d' = \text{SymDiff}(d_1, d_2)$  Create an IBF that represents the symmetric difference of  $d_1$  and  $d_2$ .

## IBF: Insert Element #1

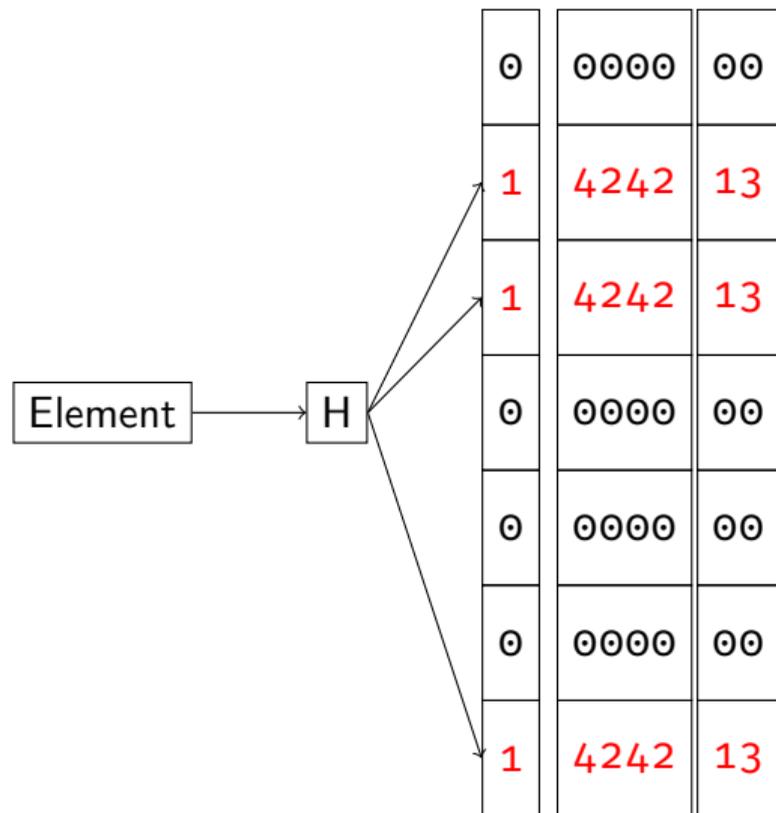


$H(\text{Element \#1}) \mapsto (2, 3, 7)$

$H'(\text{Element \#1}) \mapsto 4242 \text{ (ID)}$

$H''(4242) \mapsto 13$

## IBF: Insert Element #1

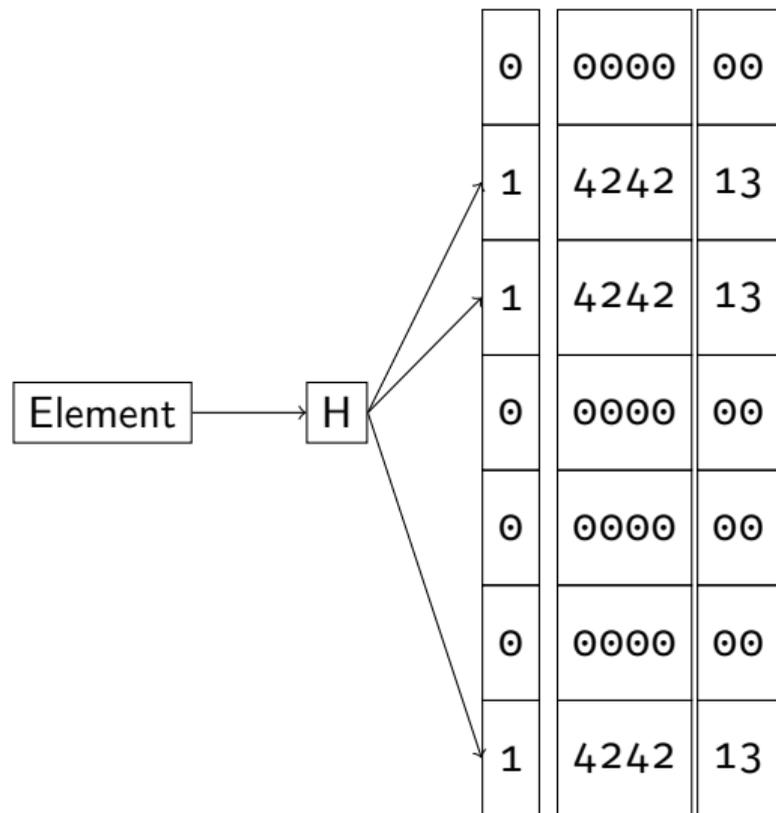


$H(\text{Element \#1}) \mapsto (2, 3, 7)$

$H'(\text{Element \#1}) \mapsto 4242 \text{ (ID)}$

$H''(4242) \mapsto 13$

## IBF: Insert Element #2

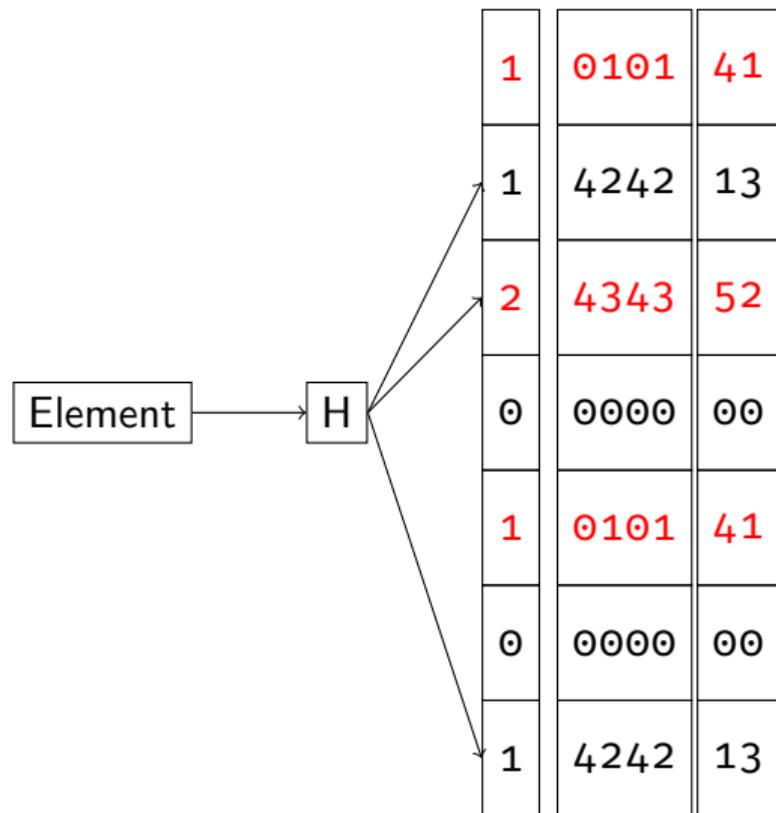


$$H(\text{Element \#2}) = (1, 3, 5)$$

$$H'(\text{Element \#2}) = 0101 \text{ (ID)}$$

$$H''(0101) \mapsto 41$$

## IBF: Insert Element #2



$$H(\text{Element \#2}) = (1, 3, 5)$$

$$H'(\text{Element \#2}) = 0101 \text{ (ID)}$$

$$H''(0101) \mapsto 41$$

## Symmetric Difference on IBFs

We can directly compute the symmetric difference without extraction.

- ▶ Subtract counters
- ▶ XOR of IDSUM and XHASH values

## IBF: Extract

1	0101	41	pure
1	4242	13	pure
2	4343	52	impure
0	0000	00	
1	0101	40	impure
0	0000	00	
-1	4242	13	pure

- ▶  $|counter| = 1 \wedge H''(IDSUM) = XHASH \Leftrightarrow$  pure
- ▶ Impure bucket  $\Rightarrow$  potential decoding failure
- ▶ Pure bucket  $\Rightarrow$  extractable element ID
- ▶ Extraction  $\Rightarrow$  more pure buckets (hopefully/probably)
- ▶ Less elements  $\Rightarrow$  more chance for pure buckets

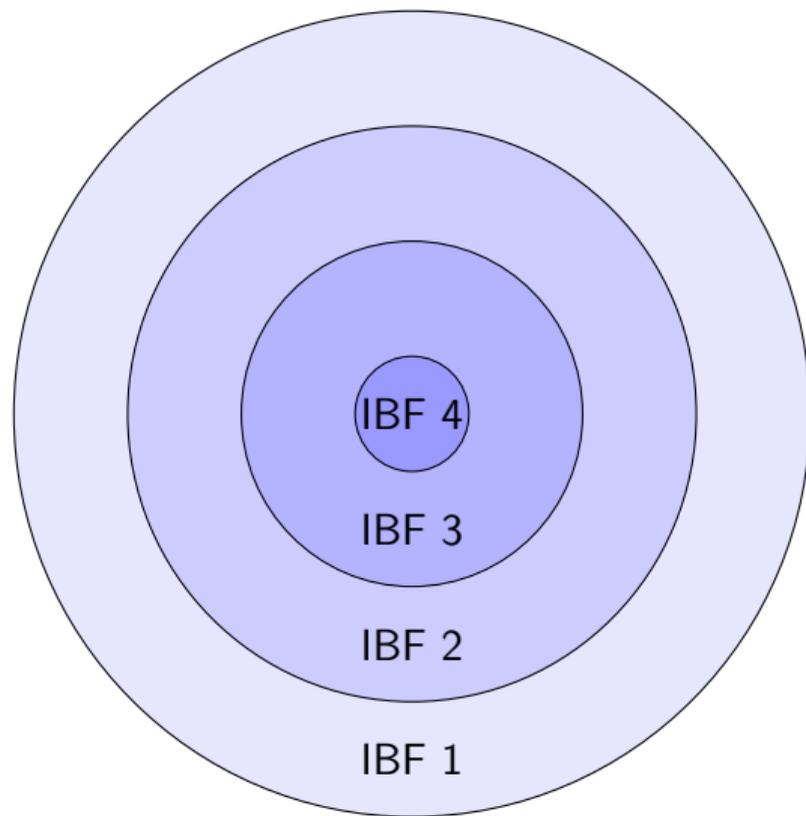
# The Set Union Protocol

1. Create IBFs
  2. Compute SymDiff
  3. Extract element IDs
- 
- ▶ Amount of communication and computation only depends on  $\delta$ , not  $|A| + |B|$  :)
  - ▶ How do we choose the initial size of the IBF?
  - ▶  $\Rightarrow$  Do difference estimation first!

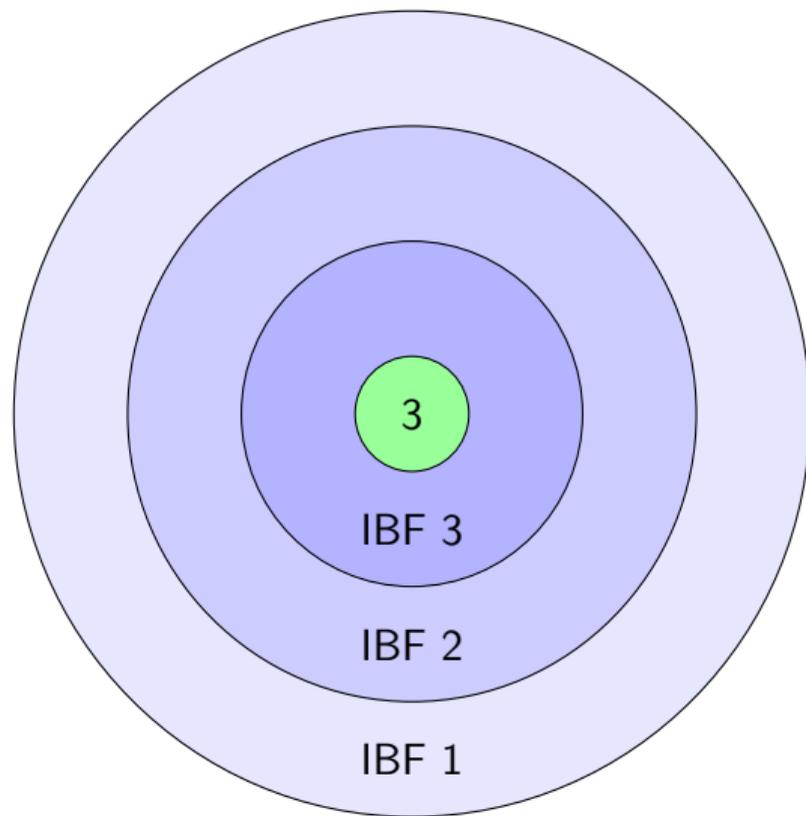
## Difference Estimation

- ▶ We need an estimator that's accurate for small differences
- ▶ Turns out we can re-use IBFs for difference estimation:
  1. Alice and Bob create fixed number of constant-size IBFs by sampling their set. The collection of IBFs is called a Strata Estimator (SE).
    - ▶ Stratum 1 contains  $1/2$  of all elements
    - ▶ Stratum 2 contains  $1/4$  of all elements
    - ▶ Stratum  $n$  contains  $1/(2^n)$  all elements
  2. Alice receives Bob's strata estimator
  3. Alice computes  $SE_{diff} = SymDiff(SE_{Alice}, SE_{Bob})$ 
    - ▶ by pair-wise *SymDiff* of all IBFs in the SE
  4. Alice estimates the size of  $SE_{diff}$ .

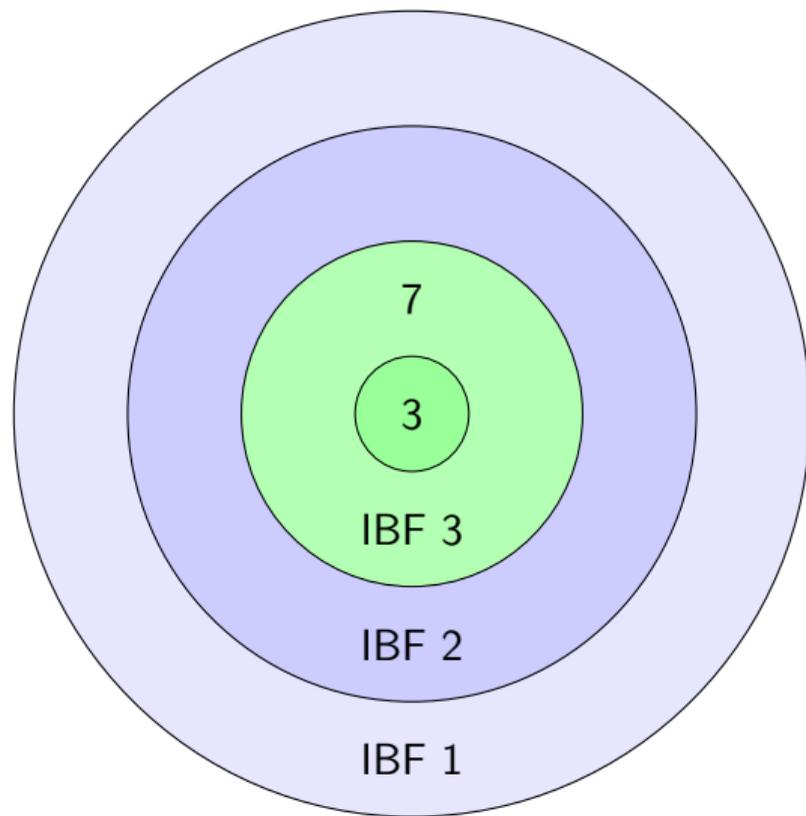
# Strata Estimator



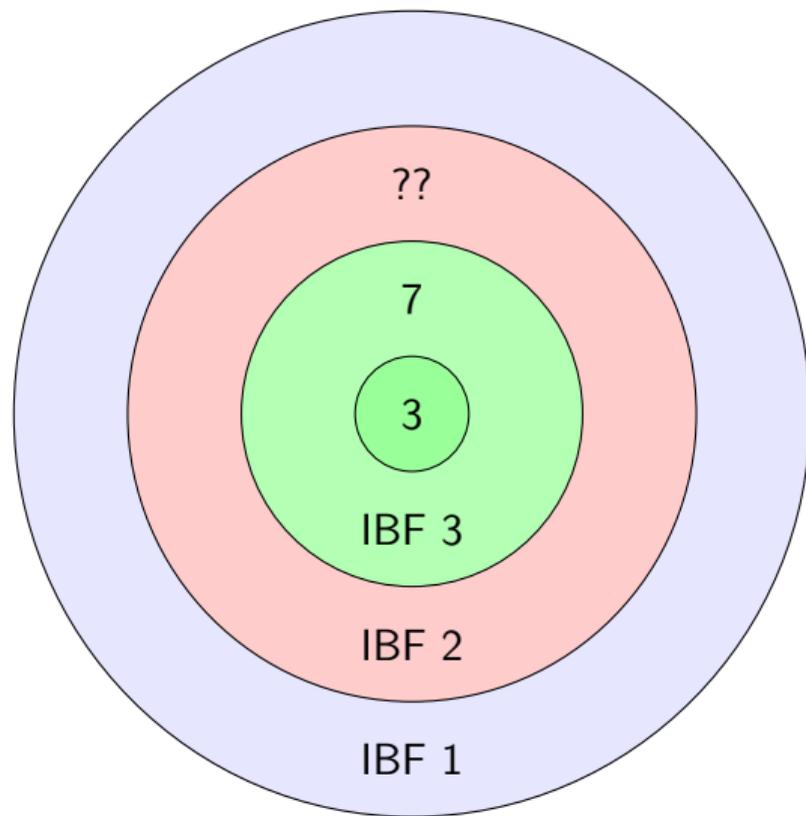
# Strata Estimator



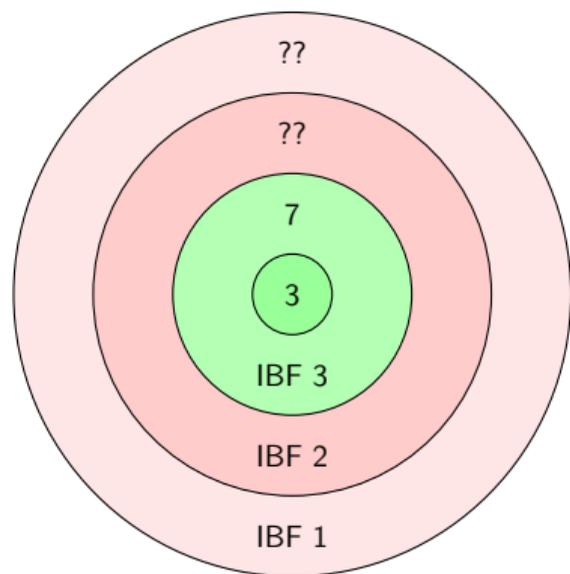
# Strata Estimator



# Strata Estimator



# Estimation



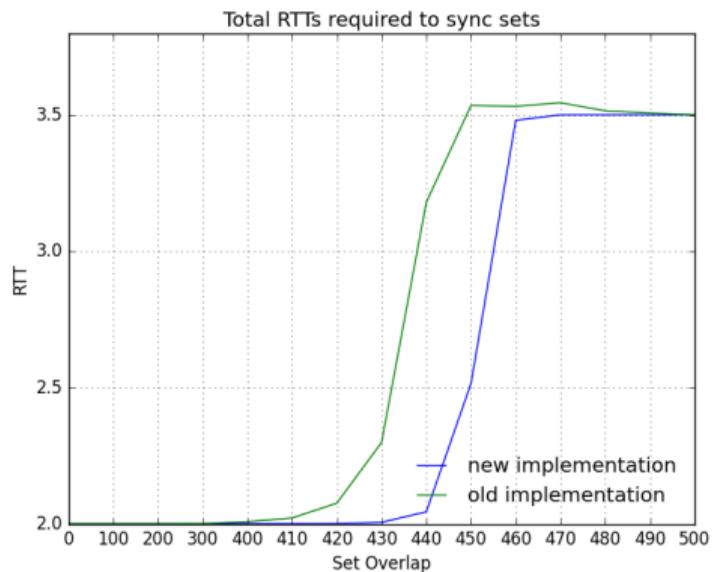
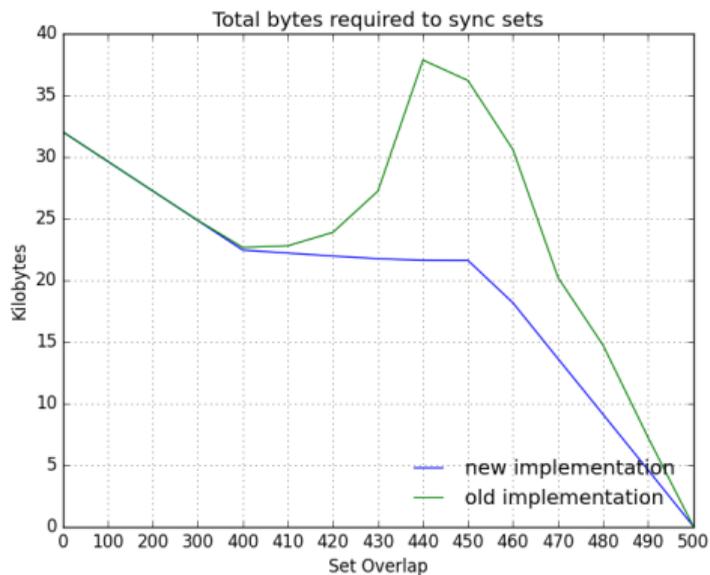
Estimate set size difference as  $\frac{2^4 \cdot 3 + 2^3 \cdot 7}{2}$ .

## The naïve IBF Protocol

1. Alice sends  $SE_{\text{Alice}}$  to Bob
2. Bob estimates the set difference  $\delta$
3. Bob computes  $IBF_{\text{Bob}}$  for size  $\delta$  and sends it to Alice
4. Alice computes  $IBF_{\text{Alice}}$
5. Alice computes  $IBF_{\text{diff}} = \text{SymDiff}(IBF_{\text{Alice}}, IBF_{\text{Bob}})$
6. Alice extracts element IDs from  $IBF_{\text{diff}}$ .
  - ▶  $b = \textit{left} \Rightarrow$  Send element to to Bob
  - ▶  $b = \textit{right} \Rightarrow$  Send element request to to Bob
  - ▶  $b = \textit{fail} \Rightarrow$  Send larger IBF (double the size) to Bob, go to (3.) with switched roles
  - ▶  $b = \textit{done} \Rightarrow$  We're done ...



# Implementation Performance: Tuning required!



# Privacy summary

Method	Defense against MiTM	Zone privacy	Privacy vs. network	Privacy vs. operator	Traffic amplification resistance	Censorship resistance	Ease of migration
DNS	✗	✓	✗	✗	✗	✗	✓
DNSSEC	✓	✗	✗	✗	✗	✗	✗*
DNSCurve	✓	✓	✓	✗	✓	✗	✗
DNS-over-TLS	✓	n/a	✓	✗	✓	✗	✗
Namecoin	✓	✗	✓	✓	✓	✓	✗
RAINS	✓	✗	✓	✗	✓	✗	✗
GNS	✓	✓	✓	✓	✓	✓	✗

\*EDNS0

## Key management summary

	Suitable for personal use	Memorable	Decentralised	Modern cryptography	Understandable	Exposes metadata	Transitive
DNS	✗	✓	✗	✗	✗	✗	✓
DNSSEC	✗	✓	✗	✗	✗	✗	✓
DNSCurve	✗	✓	✗	✓	✗	✗	✓
DNS-over-TLS	✗	✓	✗	✗	✗	✗	✓
TLS-X.509	✗	✓	✗	✗	✗	✗	✓
Web of Trust	✓	✗	✓	✗	✗	✗	✓
TOFU	✓	✗	✓		✓	✓	✗
Namecoin	✗	✓	✗	✓	✓	✗	✓
RAINS	✗	✓	✗	✓	✓	✗	✓
GNS	✓	✓	✓	✓	✓	✓	✓

## Conclusion

DNS	globalist
DNSSEC	authoritarian
Namecoin	libertarian
RAINS	nationalist
GNS	anarchist

In which world do you want to live?